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Abstract: Singh, Mishra and Pant [New fixed point theorems for asymptotically regular multi-valued maps, Nonlinear Anal. 71(2009), no. 7-8, 3299-3304] extended the work of Proinov [Fixed point theorems in metric spaces, Nonlinear Anal. 64(2006), 546-557] for multivalued maps. In this paper, we extend their results for multivalued mappings in the setting of  $\mathcal{H}^+$ -metric spaces. An example presented herein shows the usefulness of our results.

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> **Abstract:** In this paper, we proposed a new iterative scheme to approximate a common random fixed points for two finite families of generalized asymptotically quasi-nonexpansive random mappings and establish some strong convergence theorems for mentioned scheme and mappings in convex metric spaces. Our results extend and generalize several results from the current existing literature.

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> **Abstract:** In the present paper, we obtain the characterization of lower order and lower type of analytic functions represented by Laplace-Stieltjes transformations in terms of the rate of decrease of

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