Indian Journal of Mathematics

Volume 65, No. 1, 2023

CONTENTS

Sapna Verma and Mobin Ahmad

CR-SUBMANIFOLDS OF A GOLDEN SEMI-RIEMANNIAN SPACE FORM

1 - 15

17-36

37-52

Abstract: In this paper, we define and study the differential geometry of CR submanifolds of a golden semi-Riemannian space form. We obtain the sectional curvature of CR submanifolds of a golden semi-Riemannian space form and prove that a D^{\perp} minimal CR-submanifold of a golden semi-Riemannian space form is D^{\perp} -totally geodesic if $K_M(X \wedge Y) = \frac{c}{4}$. We also construct an example of a CR-submanifold of a golden semi-Riemannian manifold.

Prashant Patel and Rajendra Pant

STABILITY OF FIXED POINTS FOR QUASI-CONTRACTION MAPPINGS WITH APPLICATIONS

Abstract: We present some new results on stability or continuity of fixed points for quasi-contractions on variable domains in metric spaces. We also discuss a couple examples to illustrate our results. Finally, present an application of our results to integral equations.

Sanjib Kumar Datta and Ashima Bandyopadhyay

Growth properties of p-adic entire functions according to their relative L^* -order and relative L^* -lower order

Abstract: Let us consider K be a complete ultametric algebraically closed field and A(K) be the K -algebra of entire functions on K. In this paper, we introduce the notation of the relative $L^*[t]$ -order $(L^*[t]$ -lower order) and then established some growth properties of p-adic entire functions on the basis of generalized relative $L^*[t]$ -order $(L^*[t]$ -lower order). We give some examples which validates the theorem stated.

G. Siva

Fixed points of closed graph operators on N-cone metric spaces 53-71

Abstract: Several generalized fixed point theorems with variations in N-cone metric space domains have been presented in this article. In addition, several more fixed point results are obtained for different forms of contraction mappings with closed graphs in N-cone metric spaces. Also, some examples are provided to demonstrate our main results.

Ravindra K. Bisht

ON AN AFFIRMATIVE ANSWER TO A FIXED POINT PROBLEM OF GÓRNICKI 73-82

Abstract: In this paper, we give an affirmative answer to a fixed point problem of Górnicki.

Nabiullah Khan and Saddam Husain

CERTAIN STUDY OF GENERALIZED APOSTOL-BERNOULLI BASED POLY-DAEHEE 83-101

Abstract: In this study, the author introduced a new mix type of polynomials as a connection between generalized Bernoulli polynomials and poly Daehee polynomials, which they refer to as generalized Apostol-Bernoulli-based poly Daehee polynomials. Utilizing the generating function of the newly proposed polynomials, they explore specific special instances and useful ones, such as explicit and implicit summation formulae. Also, we discuss some special cases of it.

Snehashis Mukherjee

IRREDUCIBLE REPRESENTATIONS OVER MULTIPARAMETER QUANTUM SYMPLECTIC ALGEBRA

103-116

Abstract: In this article, a particular class of torsionfree simple modules of the multiparameter Quantum Symplectic algebra $K_{n,\Gamma}^{Q,R}(\mathbb{K})$ are classified. Especially, we use the results of De Concini and Processi to comment about the dimension of the simple modules over multiparameter Quantum Symplectic algebra and then construct the torsionfree simple modules assuming the multiparameters lie in a torsion subgroup of \mathbb{K}^* .

Mohamad N. Nasser and Mohammad N. Abdulrahim

The irreducibility of the complex specialization of Lawrence-Krammer representation of P_4 on band generators 117-133

Abstract: We define Lawrence-Krammer representation of the pure braid group P_n on band generators. For $t = q^{-5/2}$ and $q^2 \neq 1$, we prove that the complex specialization of Lawrence-Krammer representation $P_4 \mapsto GL_6(\mathbb{Z}[q^{\pm 1}])$ is irreducible if and only if $q \neq e^{\pm \frac{2\pi i}{3}}$. A similar result for the pure braid group P_3 was done by Abdulrahim and Al-Tahan.

George A. Anastassiou

Degree of approximation by multiple sigmoids Kantorovich-Choquet quasi-interpolation neural network operators 135-151

Abstract: In this article we present univariate and multivariate quantitative approximation by Kantorovich-Choquet type quasi-interpol-ation neural network operators with respect to supremum norm. This is done with rates using the first univariate and multivariate moduli of continuity. We approximate continuous and bounded functions on \mathbb{R}^N , $N \in \mathbb{N}$. When they are also uniformly continuous we have pointwise and uniform convergences, also L_p estimates. Our activation functions are induced by multiple general sigmoid functions.
